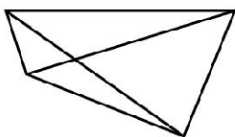


Question	Answer
9.	$BC = GH = 16.6$, so $\overline{BC} \cong \overline{GH}$. $CG = HB = 28$, so $\overline{CG} \cong \overline{HB}$. Since both pairs of opp. sides of $BCGH$ are \cong , $BCGH$ is a \square because quad. with opp. sides $\cong \rightarrow \square$.
10.	$UV = WT = 189$, so $\overline{UV} \cong \overline{WT}$. $m\angle V = 85^\circ$, and $m\angle W = 95^\circ$, so $\angle V$ is supp. to $\angle W$. Therefore $\overline{UV} \parallel \overline{WT}$. Because quad. with pair of opp. sides \parallel and $\cong \rightarrow \square$, $TUVW$ is a \square .
11.	yes All the sides are \cong to each other. So both pairs of opp. sides are \cong . Because quid. with opp. sides $\cong \rightarrow \square$, the quad. is a \square .
13.	no Each pair of $\cong \angle$ is a pair of alt. int. \angle . Each pair indicates that the same set of opp. sides of the quad. are \parallel . If only 1 set of opp. sides are \parallel , you cannot conclude that the quad. is a \square .
14.	Possible answer: slope of $\overline{JK} = \text{slope of } \overline{LM} = -\frac{7}{2}$; slope of $\overline{KL} = \text{slope of } \overline{MJ} = -\frac{1}{5}$; both pairs of opp. sides have the same slope, so $\overline{JK} \parallel \overline{LM}$ and $\overline{KL} \parallel \overline{MJ}$; by def., $JKLM$ is a \square .
15.	Possible answer: slope of $\overline{PQ} = \text{slope of } \overline{RS} = \frac{5}{3}$; \overline{PQ} and \overline{RS} have the same slope, so $\overline{PQ} \parallel \overline{RS}$; $PQ = RS = \sqrt{34}$; 1 pair of opp. sides are \parallel and \cong ; because quad. with pair of opp. sides \parallel and $\cong \rightarrow \square$, $PQRS$ is a \square .
18.	No; you are only given the measures of the 4 \angle formed by the intersecting diags. of the quad. None of the sets of conditions for a \square are met.

Question	Answer
20.	$a = 16; b = 14$
21.	$a = 16.5; b = 23.2$
24.	<p>Possible answer: If the diags. of a quad. are \cong, you cannot necessarily conclude that the quad. is a \square.</p> 
25.	<p>Possible answer: The red and green \triangle are isosc. rt. \triangle, so the measure of each acute \angle of the \triangle is 45°. Each of the smaller \angle of the yellow stripe is comp. to 1 of the acute \angle of the rt. \triangle, so the measure of each of the smaller \angle of the yellow stripe is $90^\circ - 45^\circ = 45^\circ$. Each of the larger \angle of the yellow stripe is supp. to 1 of the acute \angle of the rt. \triangle, so the measure of each of the larger \angle of the yellow stripe is $180^\circ - 45^\circ = 135^\circ$. So the yellow stripe is quad. in which both pairs of opp. \angle are \cong. Therefore the shape of the yellow stripe is a \square.</p>
34a.	no
34b.	<p>yes; Since $\angle S$ and $\angle R$ are supp., $\overline{PS} \parallel \overline{QR}$. Thus $PQRS$ is a \square because quad. with pair of opp. sides \parallel and $\cong \rightarrow \square$.</p>
34c.	<p>yes; Draw \overline{PR}. $\angle QPR \cong \angle SRP$ (Alt. Int. \angle Thm.), and $\overline{PR} \cong \overline{PR}$ (Reflex. Prop. of \cong). So $\triangle QPR \cong \triangle SRP$ by AAS, and $\overline{PQ} \cong \overline{SR}$ (CPCTC). Since $\overline{PQ} \parallel \overline{SR}$ and $\overline{PQ} \cong \overline{SR}$, $PQRS$ is a \square because quad. with pair of opp. sides \parallel and $\cong \rightarrow \square$.</p>